

Workshop A.Novikov-70

Stochastic Methods in Finance and Statistics

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The Organising Committee: Albert Shiryaev, Aleksey Muravlev, Mikhail Zhitlukhin, Yu.Kabanov

Speakers :

A. Tartakovsky

M. Burnashev

Yu. Kutoyants

A. Polunchenko

B. Darkhovsky

V. Novikov

Yu. Kabanov

I. Sonin

Yu. Hinz

V. Mazalov

N. Kordzakhia



$$E|m_\tau|^p \leq C_p E\langle m \rangle_\tau^{p/2}, p > 0$$

$$E|m_\tau|^p \geq c_p E\langle m \rangle_\tau^{p/2}, p > 1$$

$$E \exp\left\{\frac{1}{2}\langle m \rangle_\tau\right\} < \infty \implies E \exp\left\{m_\tau - \frac{1}{2}\langle m \rangle_\tau\right\} = 1$$

$$\lim_{t \rightarrow \infty} P\{\langle m \rangle_\tau > t\} \sqrt{t} = \sqrt{\frac{2}{\pi}} E m_\tau$$